

Tomographic Image of the Proton from DVCS data

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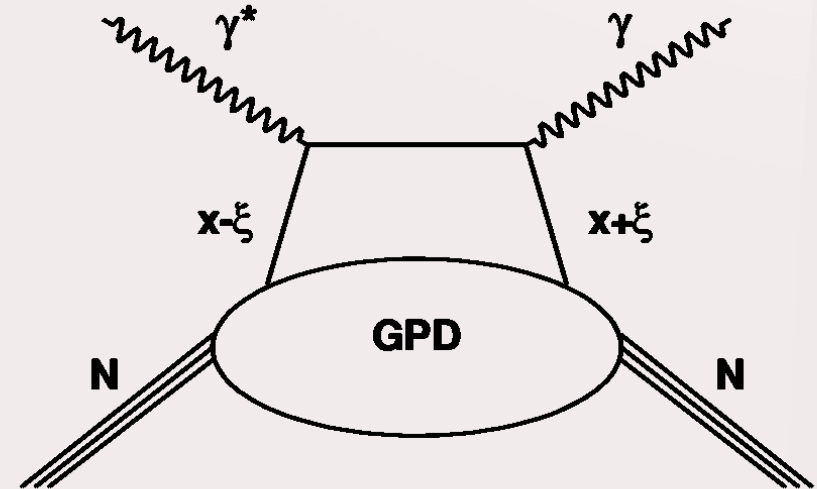
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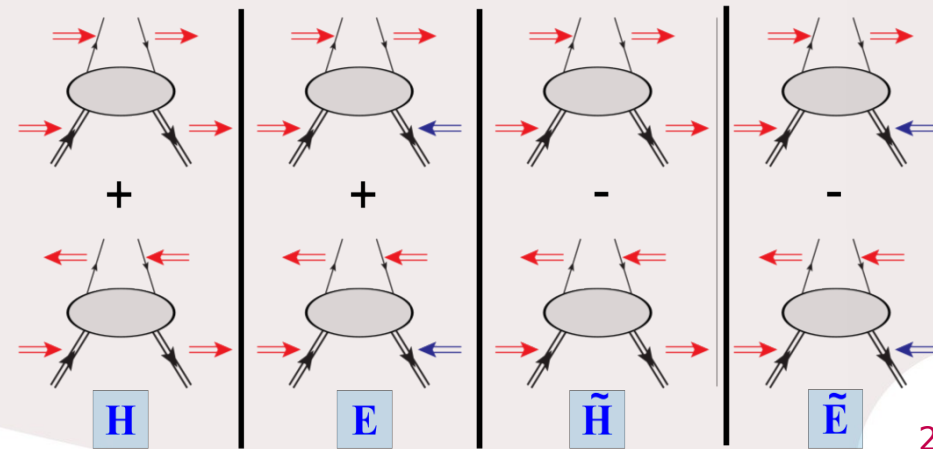
Generalized Parton Distributions

- **A Generalization of usual PDFs**
 - A description of the nucleon depending on 3 variables : x, ξ, t
 - Accessible through several exclusive processes (DV Compton scattering, DV Meson Production, Double DVCS...)
 - Spin-1/2 of the nucleon leads to 4 GPDs
- **Deep Virtual Compton Scattering (DVCS)**
 - Exclusive electroproduction of a photon
 - Using the factorization gives access to GPDs
 - However x is not observable in DVCS
 - Only Compton Form Factors (CFF) are accessible



$$F_{Re}(\xi, t) = \mathcal{P} \int_{-1}^1 dx \left[\frac{1}{x-\xi} \mp \frac{1}{x+\xi} \right] F(x, \xi, t),$$

$$F_{Im}(\xi, t) = F(\xi, \xi, t) \mp F(-\xi, \xi, t).$$



Generalized Parton Distributions

- Many structure functions are used to understand the structure of the nucleon

- GPDs offer several advantages

- The link to PDFs is well established
- Experimental access through DVCS

A.V. Radyushkin Phys.Lett. B380 (1996) 417-425

- GPDs give access to the proton spin through Ji sum rule

$$J_{q,g} = \frac{1}{2} \int_{-1}^{+1} dx \, x [H_{q,g}(x, \xi, t=0) + E_{q,g}(x, \xi, t=0)]$$

X.D. Ji Phys.Rev.Lett. 78 (1997) 610-613

- GPDs give a 3D image of the nucleon

M. Burkardt Phys.Rev. D62 (2000) 071503

- And much more

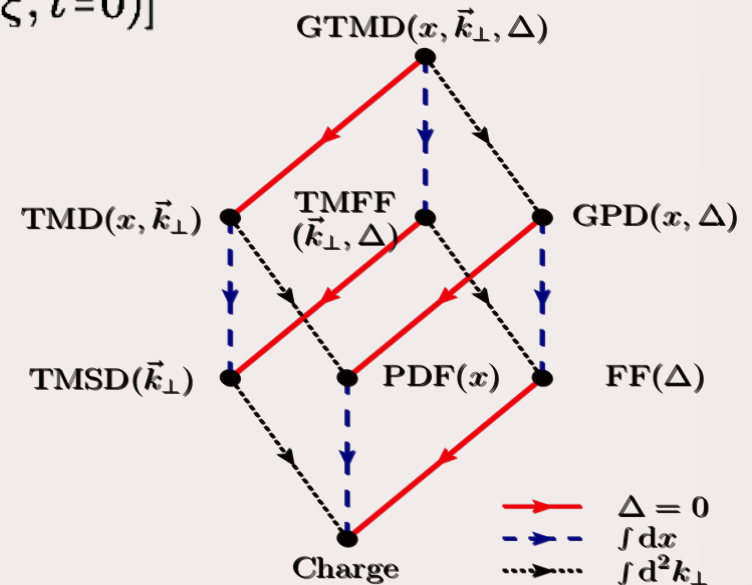
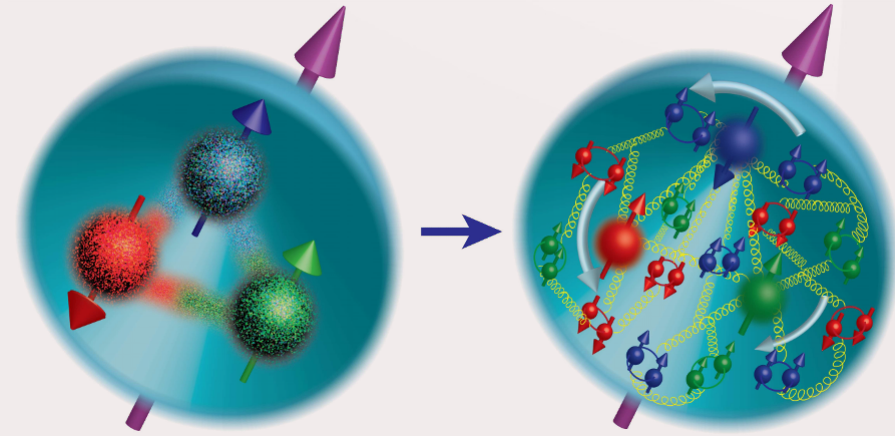
- Pressure and shear forces in the D-term

M. Polyakov Phys.Lett. B555 (2003) 57-62

- Study of nuclei to understand the EMC effect and shadowing

- With an access to non-nucleonic degrees of freedom in nuclei

R.D. & S. Scopetta Eur.Phys.J. A52 (2016) no.6, 159



C. Lorcé & B. Pasquini Phys.Rev. D84 (2011) 014015

- **The 4 complex CFFs intervene as 8 free parameters in the calculation in various observables of DVCS**

A. Belitsky et al. Nucl.Phys. B629 (2002) 323-392

- We need many observables to extract all of them
- Possible for one point using HERMES data
 - Includes transversely polarized target and beam charge asymmetries
- JLab data however does not allow for a full extraction of that kind
 - Use the fact that the $\text{Im}(H)$ dominate beam spin asymmetries
- **We have an underconstrained set of equations**
 - If we want to get to the 3D picture of the nucleon, we will need some tricks

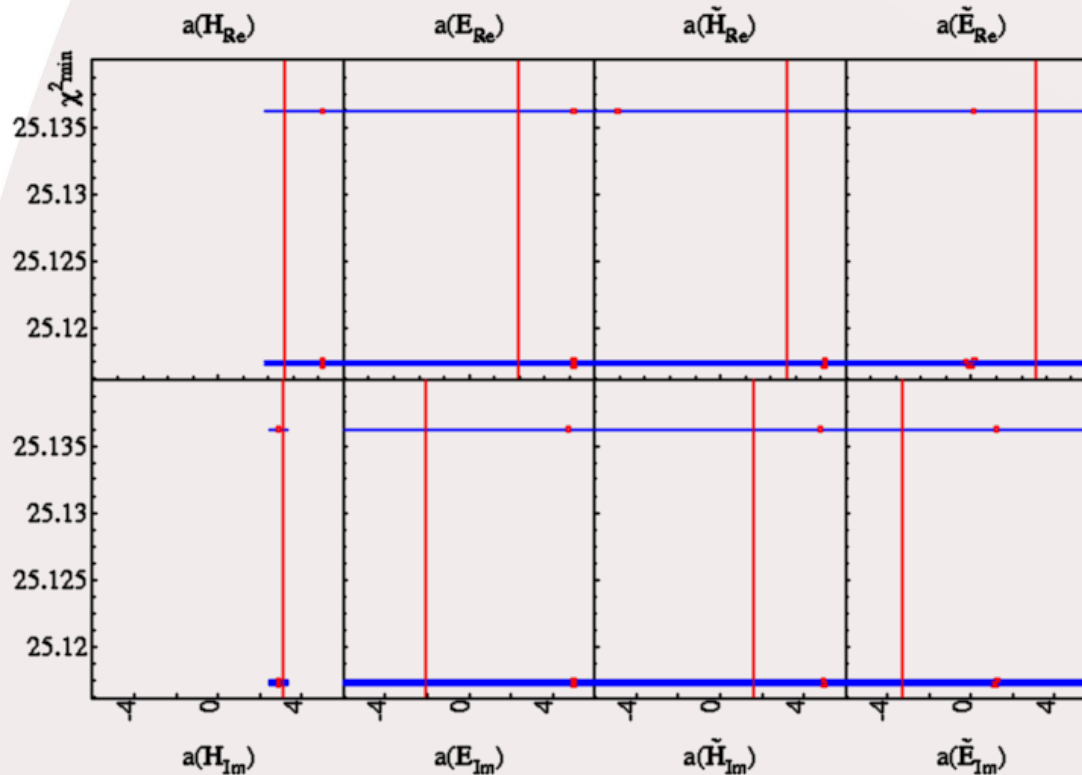
$$\Delta\sigma_{LU} \propto \sin\phi \quad \text{Im}\{F_1\mathcal{H} + \xi(F_1 + F_2)\tilde{\mathcal{H}} - kF_2\mathcal{E} + \dots\}$$

$$\Delta\sigma_{UL} \propto \sin\phi \quad \text{Im}\left\{F_1\tilde{\mathcal{H}} + \xi(F_1 + F_2)\left(\tilde{\mathcal{H}} + \frac{x_B}{2}\mathcal{E}\right) - \xi kF_2\tilde{\mathcal{E}} + \dots\right\}$$

$$\Delta\sigma_{LL} \propto (A + B \cos\phi) \quad \text{Re}\left\{F_1\tilde{\mathcal{H}} + \xi(F_1 + F_2)\left(\mathcal{H} + \frac{x_B}{2}\mathcal{E}\right) + \dots\right\}$$

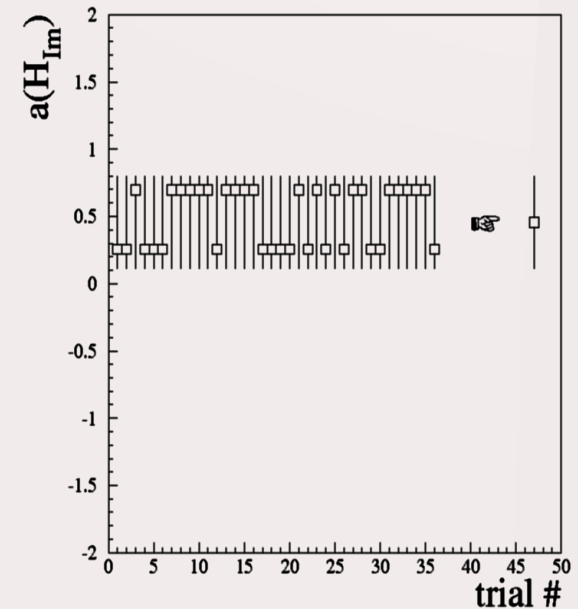
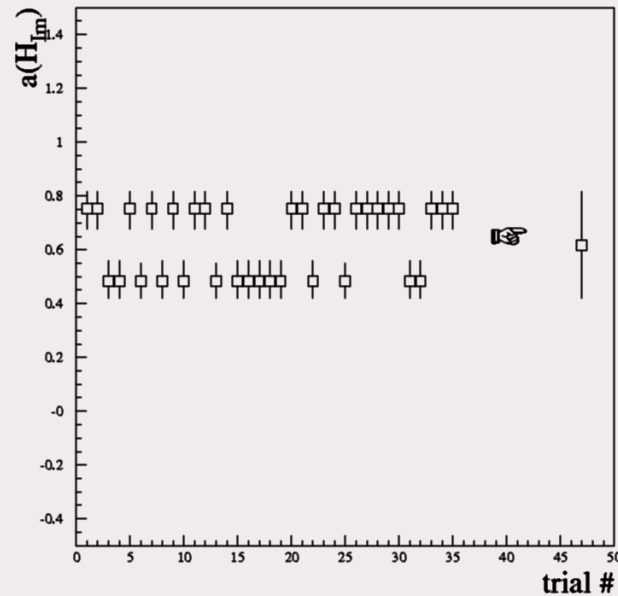
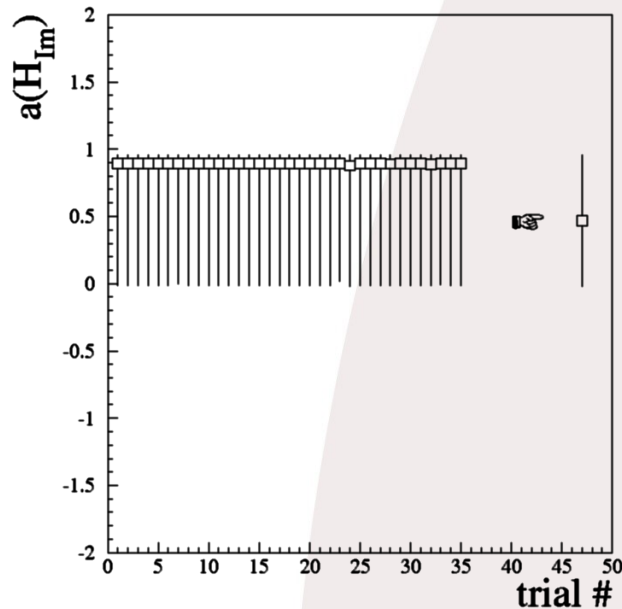
$$\Delta\sigma_{Ux} \propto \sin\phi \quad \text{Im}\{k(F_2\mathcal{H} - F_1\mathcal{E}) + \dots\}$$

Tests with Pseudo Data

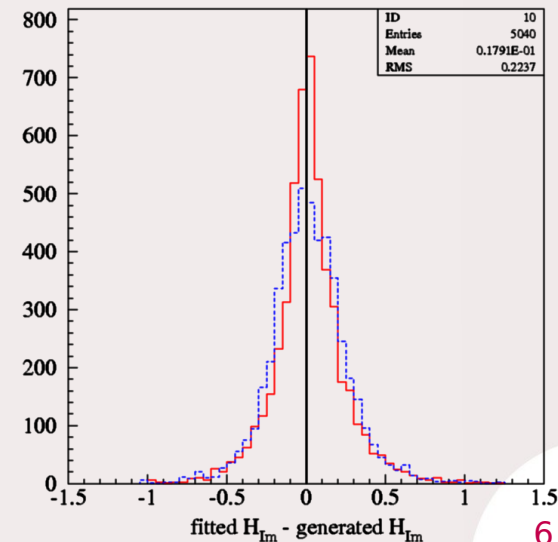


- **As expected the 8 parameter fit cannot converge without constraints**
 - Choice of educated limits for the local fit $\rightarrow \pm 5 \times$ VGG Model predictions
 - As expected H appears to be the only GPD constrained by CLAS data
- **Fit sometimes cannot find a single unique solution**
 - We ran many fits on pseudo data in order to test the stability of the fitting procedure
 \rightarrow **Whatever we use in the start, we recover H properly (within error bars) at the end**

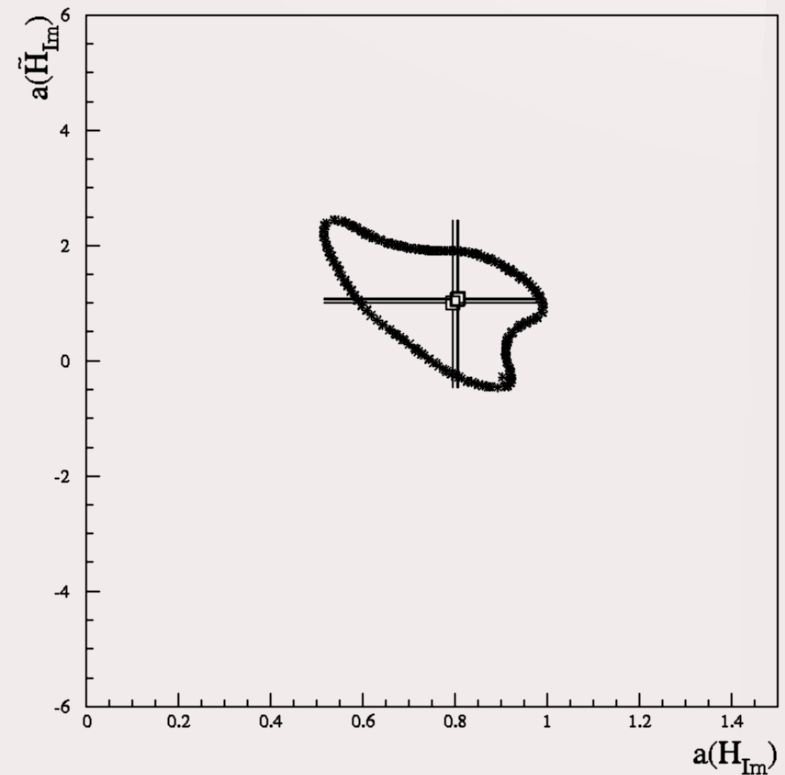
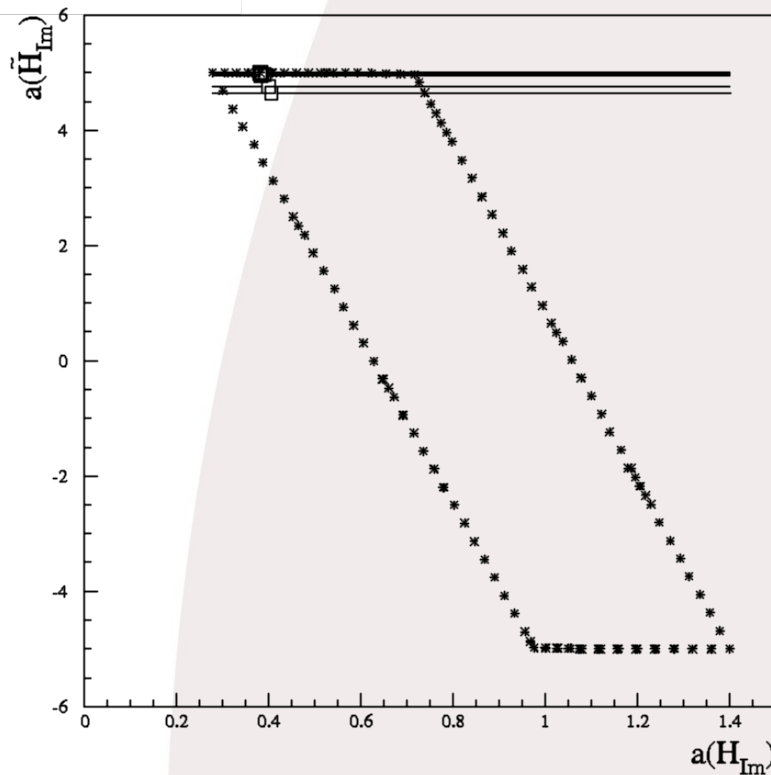
Using central values



- **In some cases the fit gives problematic results**
 - Explored with many independent pseudo-data sets and fit starting points
 - Highly asymmetric error bars
 - Do not reflect properly the χ^2 profile
 - De to very flat χ^2 valley
 - Double solutions
 - Problematic for the coming global fit, which solution to use ?
- **We found that the central value of the error bars works best**
 - This is natural since subleading CFFs are in fact not significantly constrained and the minimum χ^2 in their range is most of the time not significant
 - This was confirmed by simulation



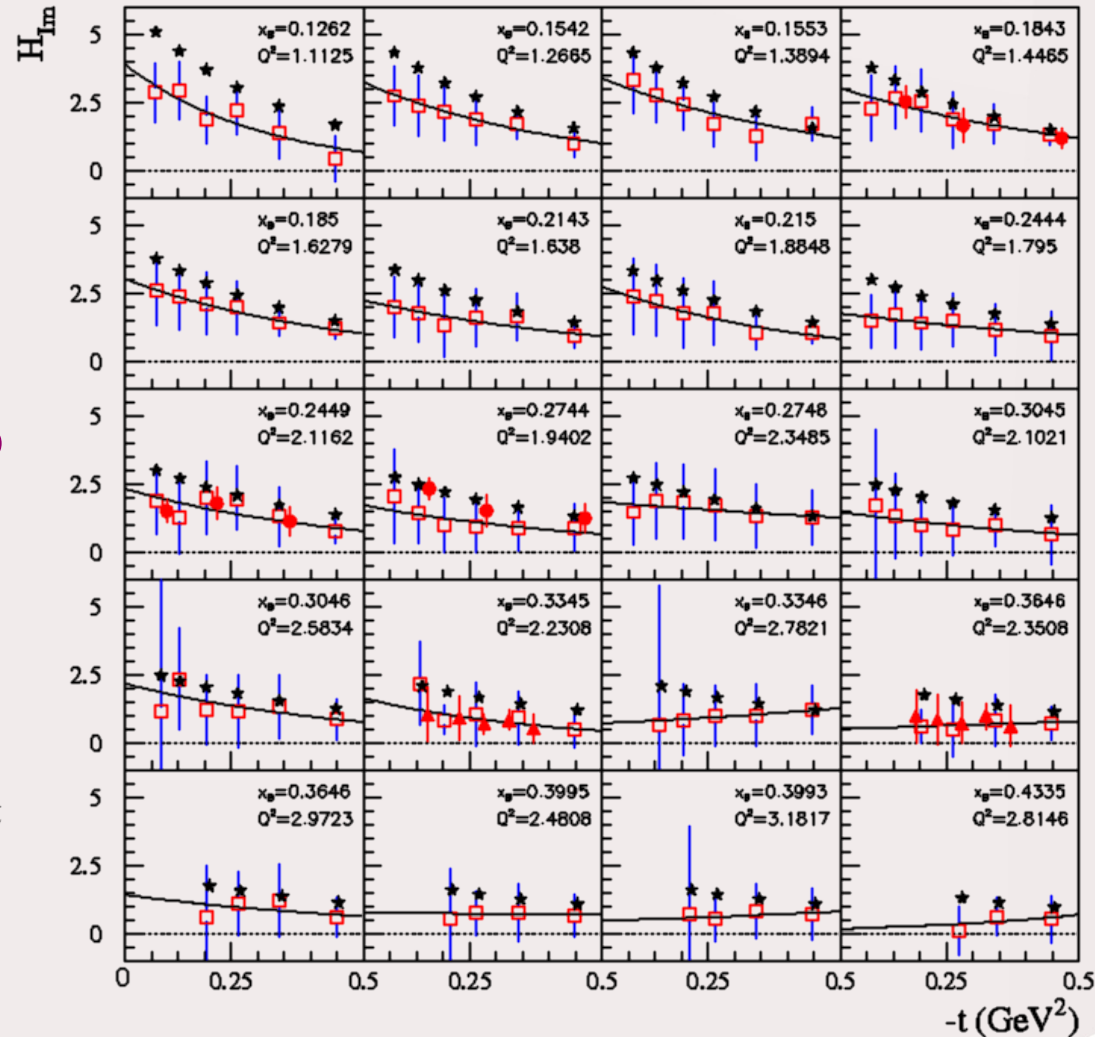
Importance of new observables



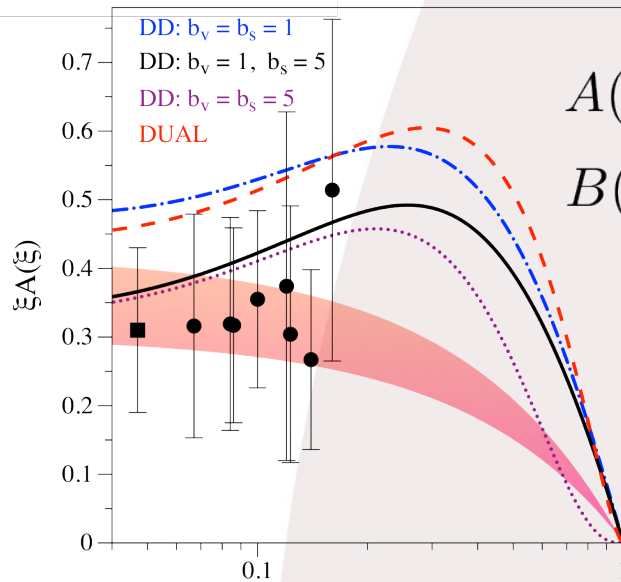
- **Adding target asymmetries constrains naturally the $\text{Im}(\hat{H})$**
 - Incidentally it also constrains $\text{Im}(H)$
- **However these data are not available for all kinematics**
 - More observables would be needed to constrain E and \tilde{E}
 - Transversely polarized target and charge asymmetries for example

Extraction of $\text{Im}(H)$

- Applying the local fit method for the JLab data
 - Jlab Hall A (σ , $\Delta\sigma$)
 - CLAS (σ , $\Delta\sigma$, ITSA, DSA)
- Gives enough coverage to explore the t and x_B ($\rightarrow \xi$) dependence
 - Fitted with an exponential form
$$\mathcal{H}_{Im}(\xi, t) = A(\xi)e^{B(\xi)t}$$
- Results are generally close to the VGG model



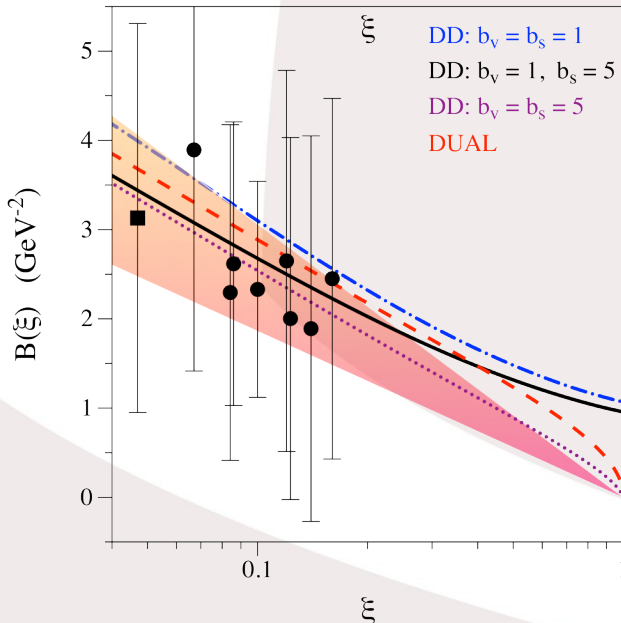
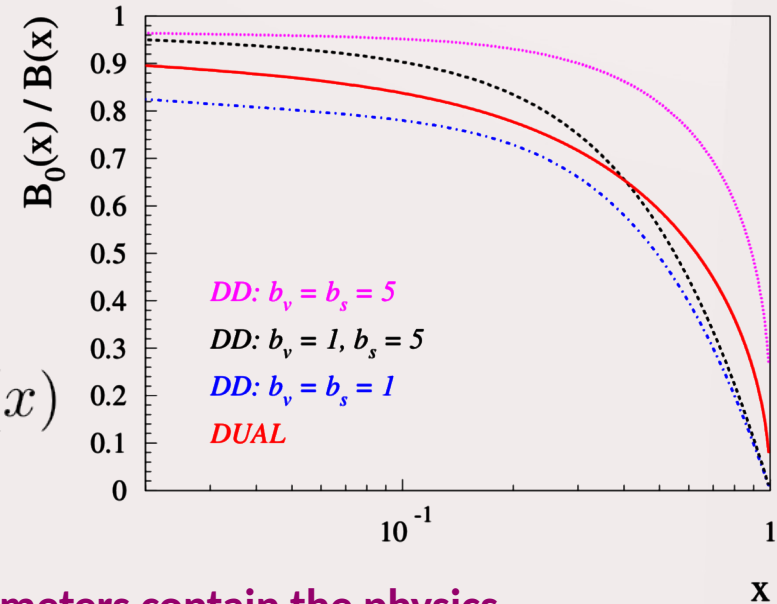
Amplitude and Slope



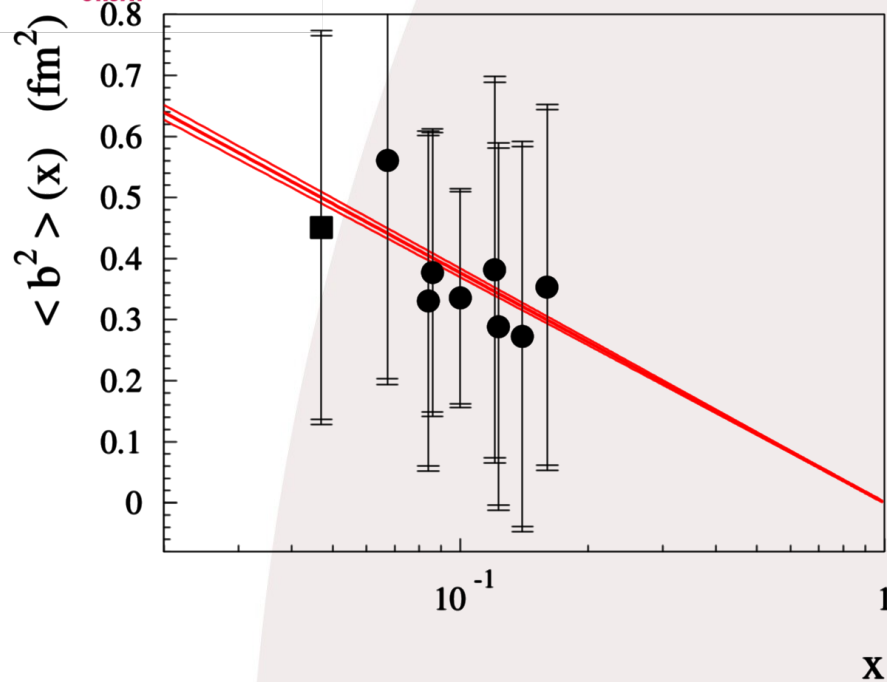
$$A(\xi) = a_A(1 - \xi)/\xi$$

$$B(\xi) = a_B \ln(1/\xi)$$

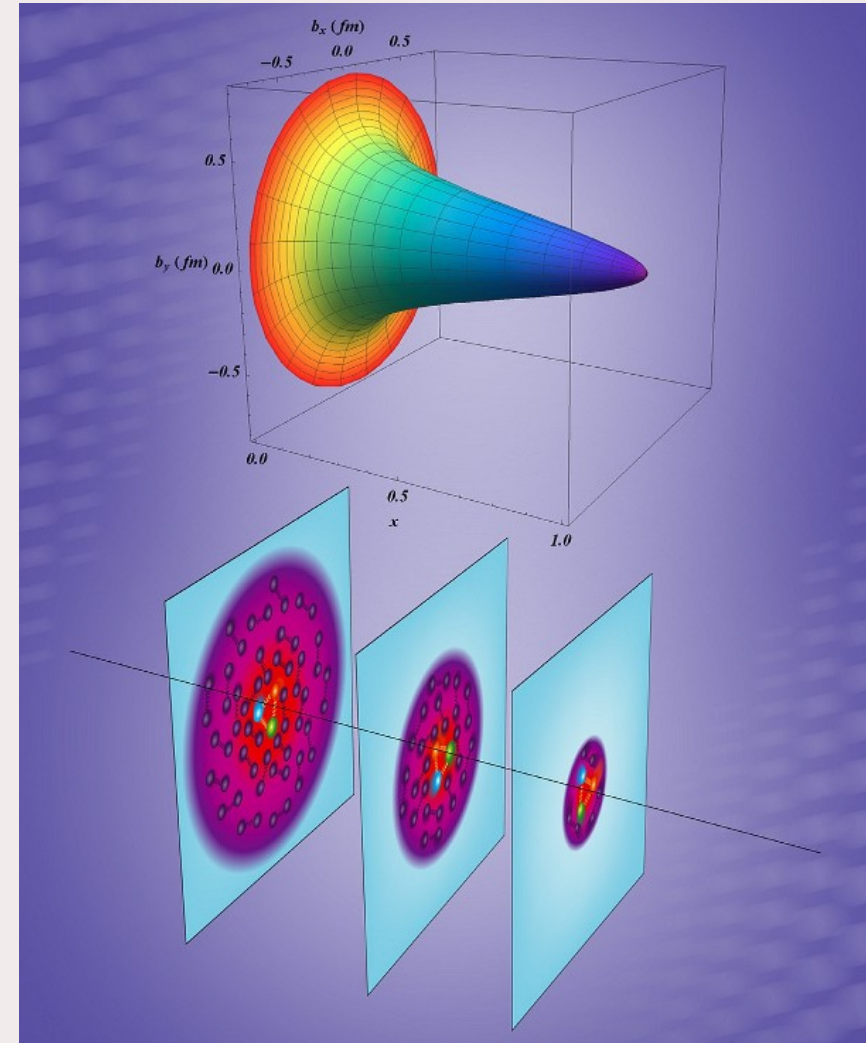
$$\langle b_{\perp}^2 \rangle^q(x) = 4B_0(x)$$

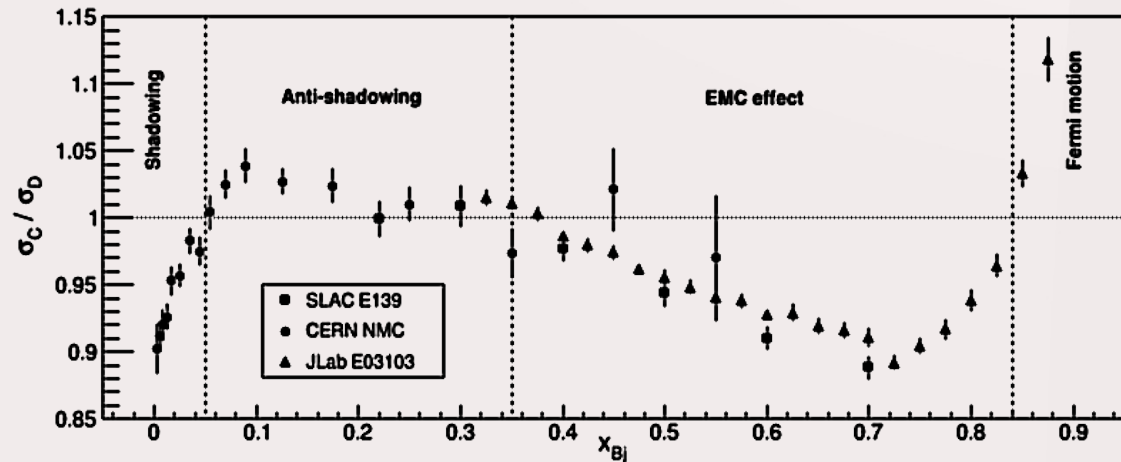
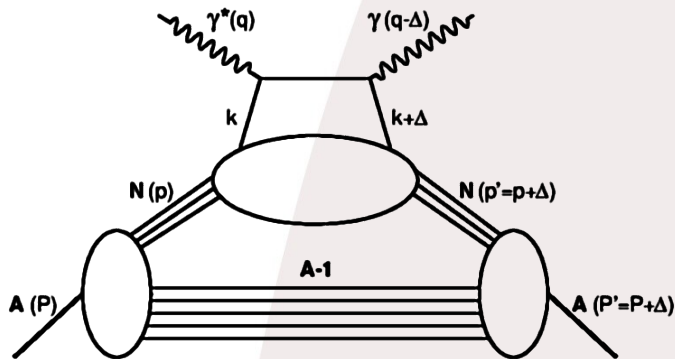


- **The A and B parameters contain the physics**
 - Linked to density and to transverse size
- **Fitted using educated guess**
 - Asymptotic behavior expectations similar to PDFs
 - In the future with larger amount of data, models can be tested at this level
- **The tomography of the nucleon**
 - Not directly accessible with DVCS, need a ξ dependent correction to go from the singlet to the non-singlet distribution
 - We note that at low x the correction is small and similarly described by several models



- **We obtain the tomography of the proton**
 - Mean square charge radius of the proton for slices of x
 - Error bars reflect the unknown CFFs
 - To flatten this distribution, one would need a non constrained CFF with very strong unexpected behavior





- **New view on nuclear effects**

- GPDs offer a completely new point of view into this problem

- **Experimental access to completely new nuclear physics**

- Non nucleonic degrees of freedom of the nuclei
- Measure pressure and forces in the nuclei
- Localize the EMC effect

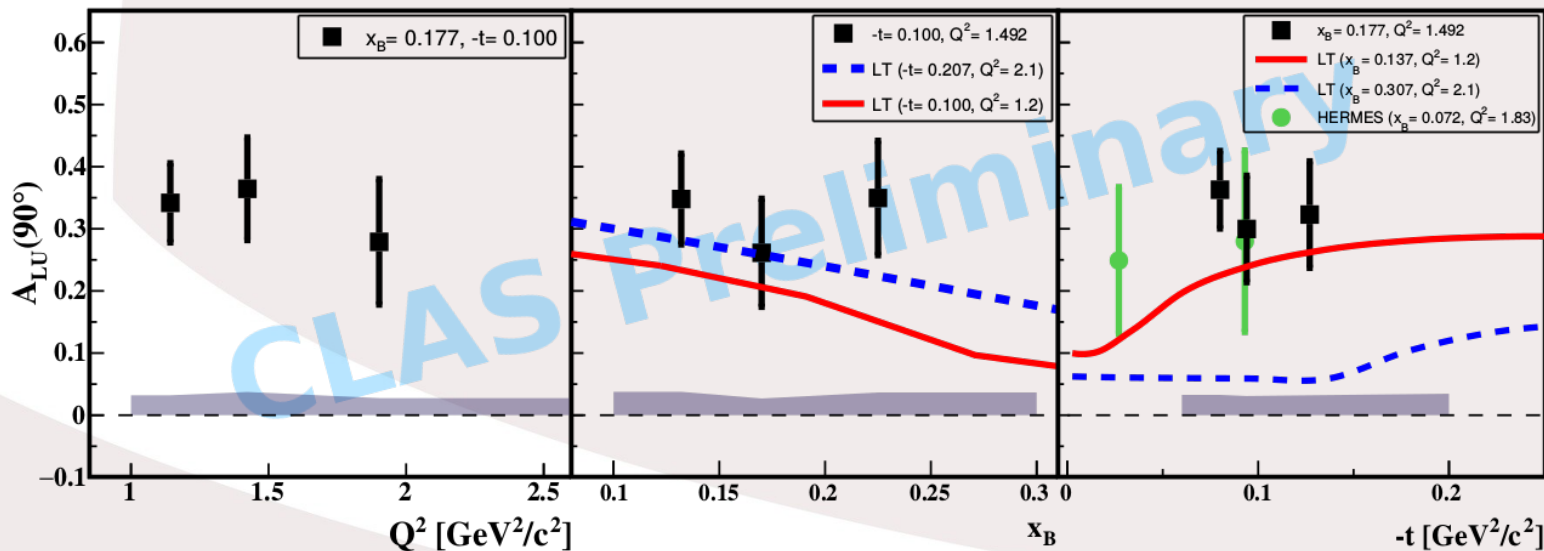
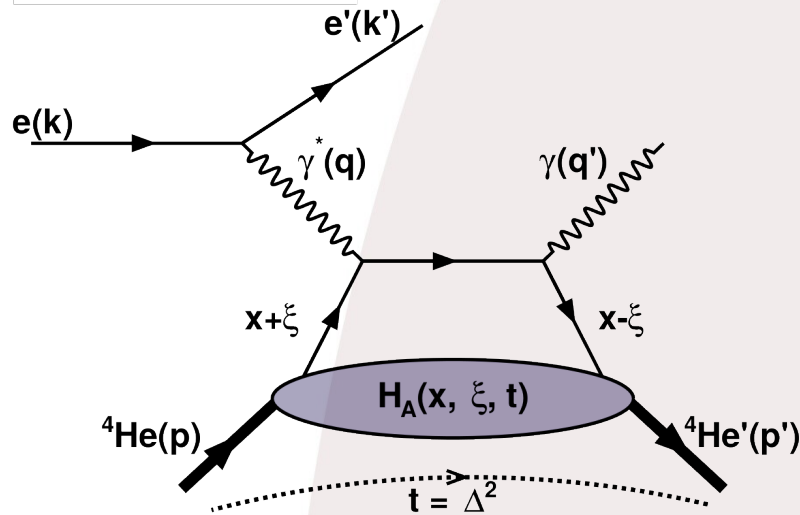
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- **Allows to play with the spin**

- Use of helium 4 for a simplified problem with only 1 GPD
- Which can be extracted from DVCS beam asymmetries only
- Use of helium 3 and deuterium to understand the neutron and more complex spin dynamics

DVCS on Nuclei

- **Already measured at Jlab (CLAS)**
 - Coherent DVCS is cleanly measurable
 - Collider kinematics would make it much easier !
 - Asymmetries are much larger than for the proton
 - As expected from theory
- **The start of a new domain for GPD studies**
 - Already many studies on the theory side
 - In both valence and shadowing regions

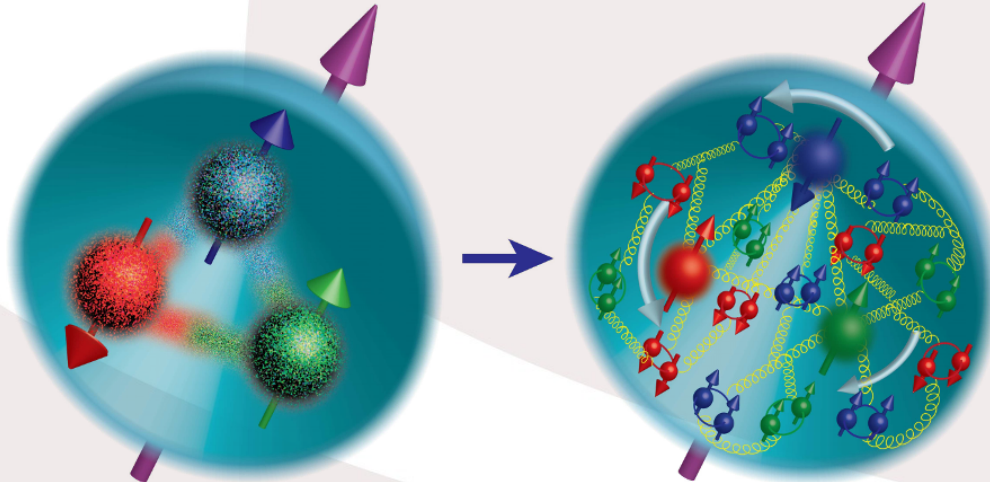




- **A very wide approved program**
 - Proton DVCS (σ , $\Delta\sigma$) in Hall A (running already) and CLAS12
 - Also with longitudinally polarized target
 - Q^2 scan in Hall C, beam energy scan in CLAS12
 - Neutron DVCS (σ , $\Delta\sigma$) in CLAS12
 - Also with longitudinally polarized target
 - Transversely polarized target measurement (HD Ice target)
 - And many other projects proposed
- **JLab will provide a very large data set in the valence region**
 - We should try to equal this for the sea region at EIC

Summary

- **We make the tomography of the nucleon**
 - Errors can be reduced by including more observables
 - Cross-sections, beam spin asymmetries, target asymmetries..
 - Transverse target, positron beam



- **We show for the first time that the proton is smaller at higher x**
 - with minimum model input
- **What does it says for EIC :**
 - We need high luminosity
 - High polarization of both beams
- **What to do to go beyond**
 - Measure other processes
 - Double DVCS, Time-like CS...
 - Charge asymmetries, transverse polarized target